

# Deep Learning and Its Application to Signal and Image Processing and Analysis

SPRING 2022

TAMMY RIKLIN RAVIV,

ELECTRICAL AND COMPUTER ENGINEERING

BEN-GURION UNIVERSITY

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## Information Processing & Neural Networks

- The Hubel and Wiesel Experiment 1959: They inserted a *microelectrode* into the *primary visual cortex* of an anesthetized cat, and projected patterns of light and dark on a screen in front of the cat.
- They found that some *neurons* fired rapidly when presented with lines at one angle, while others responded best to another angle. Some of these neurons responded to light patterns and dark patterns differently. Hubel and Wiesel called these neurons *simple cells*.
- Still other neurons, which they termed *complex cells*, detected edges regardless of where they were placed in the *receptive field* of the neuron and could preferentially detect motion in certain directions.
- These studies showed how the visual system constructs complex representations of visual information from simple stimulus features.



T. Wiesel (left) and D. Hubel (right)  
co-recipients of the 1981 Nobel Prize in  
Physiology for their discoveries concerning  
information processing in the visual system

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# Information Processing & Neural Networks

- The Hubel and Wiesel Experiment 1959:



T. Wiesel (left) and D. Hubel (right)  
co-recipients of the 1981 Nobel Prize in  
Physiology for their discoveries concerning  
information processing in the visual system

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## Hubel and Wiesel Experiments

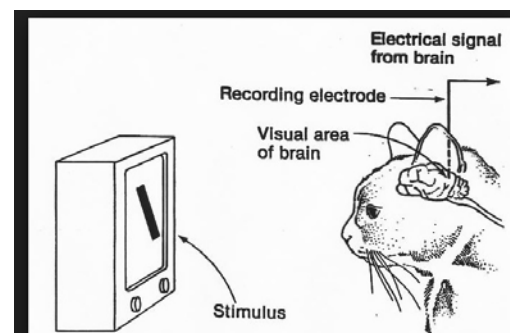
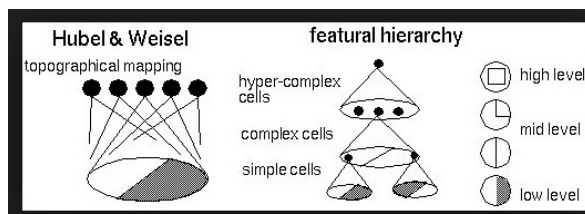
Some YouTube links:

<https://www.youtube.com/watch?v=IOHayh06LJ4>

<https://www.youtube.com/watch?v=8VdFf3egwfg>

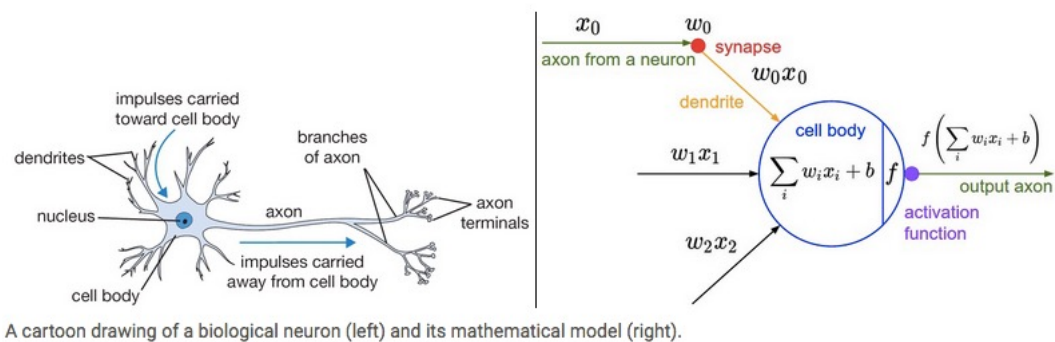
[https://www.youtube.com/watch?v=y\\_l4kQ5wjiw](https://www.youtube.com/watch?v=y_l4kQ5wjiw)

<https://www.youtube.com/watch?v=UU2esxycMAw>



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## Biological and Artificial Neurons



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## Rest of today's plan

- Course overview and motivation
- The biological neuron
- The artificial neuron
- Neuron as linear classifier
- Logistic regression
- Feature representation
- Common architectures
- Some history

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# Deep Learning and Its Applications to Signal and Image Processing and Analysis

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○Lecturer: Dr. Tammy Riklin Raviv

○No.: 361-21120

○Time: Wednesday 14:00-17:00

○Location: Building 34, room 16

○Graduate level course

○Course Web Site:

<http://www.ee.bgu.ac.il/~rrtammy/DNN/DNN.html>

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## Course Objectives

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The primary objective of this course is to provide the students the necessary computational tools to:

1. Understand basic principles of artificial Neural Networks (NN) and deep learning and Machine Learning in general
2. Be familiar with a variety of NN architectures, training strategies, challenges and potential applications
3. Be familiar with up-to-date literature in ANN for signal processing/ image analysis
4. Implement, train and test DNN for particular applications

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## Course description

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Convolutional Neural Network (CNN) – Classification, Segmentation, Object detection

Generative neural networks, GANs, Autoencoders

Recurrent Neural Networks (RNN) and Long Short Term Memory (LSTM) networks, GRU, Transformers

Active learning

Reinforcement Learning

Graph neural networks

Network pruning, uncertainty, weak learning, unsupervised learning, data augmentation

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## Course Structure

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1. Overview lectures: Basic introduction to ANN, Machine Learning, Image Processing and Analysis
  2. In previous years we had a Lab. class, if needed we'll do it this year as well.
  3. Guest lectures
  4. Student lectures – each student will present a topic/paper to the class, followed by a discussion – a list will be distributed soon
  5. Final project presentations

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## Course Resources

Ian Goodfellow, Yoshua Bengio, and Aaron Courville  
 Deep Learning. MIT Press. Online  
<http://www.deeplearningbook.org/>

Mathematics of deep learning, [Free online book](#)

Tensor flow course: <https://www.udacity.com/course/deep-learning--ud730>

Convolutional Neural Networks for Visual Recognition – Stanford  
<http://cs231n.stanford.edu/> and a [lecture series](#)

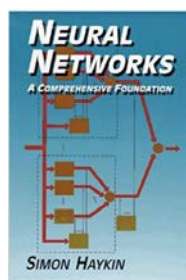
Neural Networks for Machine Learning – [Coursera by Jeff Hinton](#)



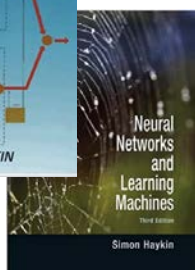
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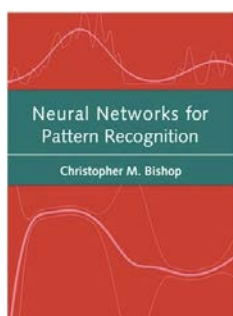
## Further reading – old and new



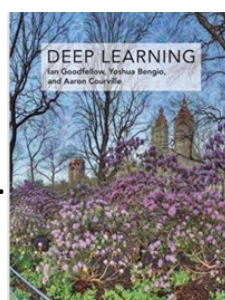
1994



1995



..



2016



2017



2020



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## What should I do in order to succeed in the course?

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- Active class participation (5 %)

Be Present in at least 10 classes out of the first 13

Last class (project presentation) is mandatory

- Homework Assignments (mandatory)  $5\% \times 3 = 15\%$

- Class Presentation 10%

- Final Project 70%

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## The instructor

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Tammy Riklin Raviv,

**Research interests:**

**Signal processing:** Biomedical Image Analysis, Computer Vision, Machine Learning

**Contact info:**

**Telephone:** 08-6428812

**Fax:** 08-647 2949

**E-mail:** [rrtammy@ee.bgu.ac.il](mailto:rrtammy@ee.bgu.ac.il)

**Office:** 212/33

**Reception hours:** please coordinate via email

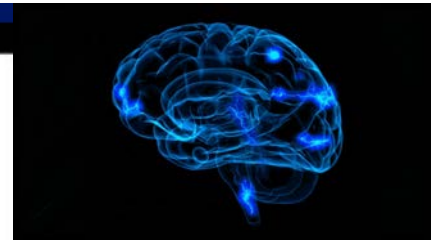
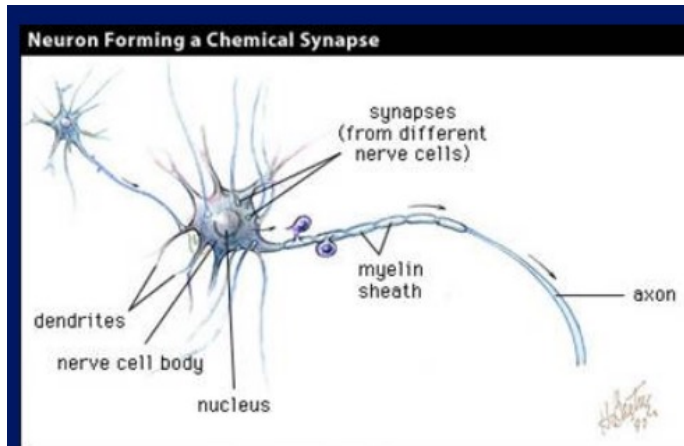
Personal web page:

<http://www.ee.bgu.ac.il/~rrtammy/>

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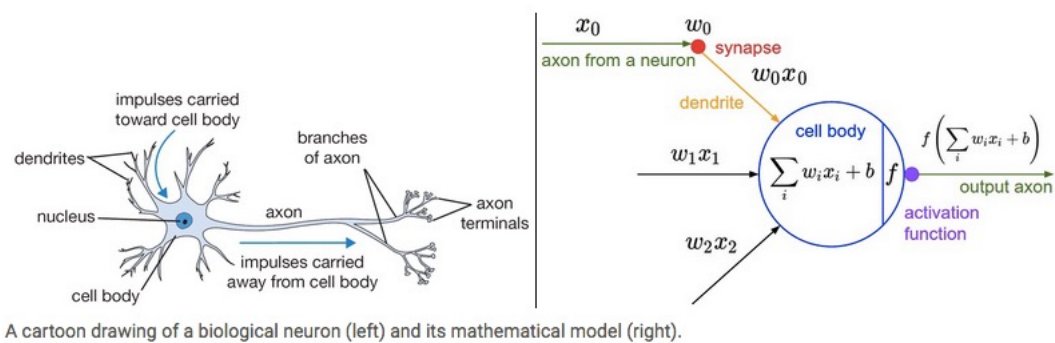
## The biological neuron



<https://towardsdatascience.com/everything-you-need-to-know-about-neural-networks-and-backpropagation-machine-learning-made-easy-e5285bc2be3a>

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## An Artificial Neuron

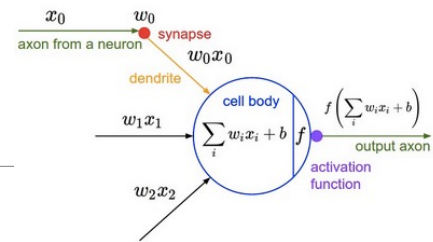


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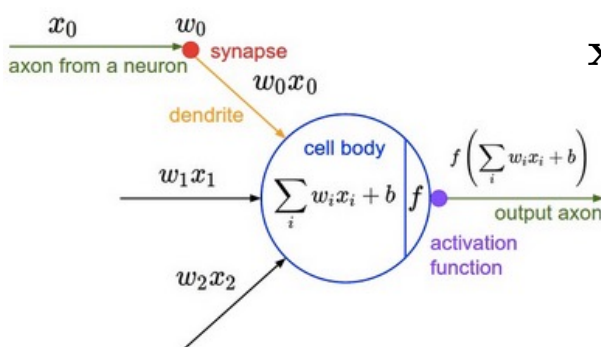
## An Artificial Neuron

- Neural networks are made up of many artificial neurons.
- Artificial neurons - simplified models of biological neurons.
- Each input into the neuron is associated with weight
- A weight is simply a floating point number, which can be positive (*excitatory*) or negative (*inhibitory*) adjusted during training.
- The weighted sum of the inputs gives us the *activation*.
- The neuron's output is determined by an *activation function*.



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## An Artificial Neuron



input

$$\mathbf{X} = x_0, x_1, \dots, x_{D-1}$$

neuron parameters

$$w_0, w_1, \dots, w_{D-1}, b$$

output

$$f\left(\sum_i w_i x_i + b\right)$$

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## Learning to Classify

What can a single neuron do?

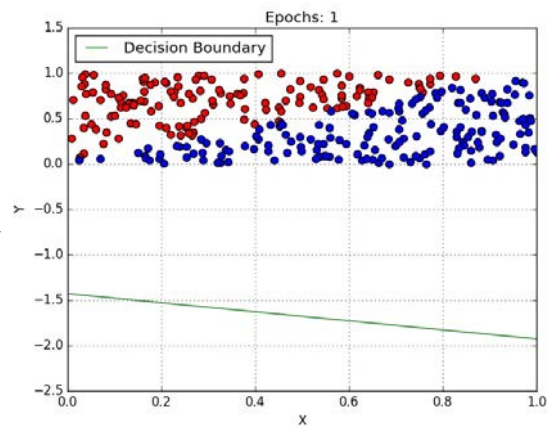
Supervised Learning problem:

input  $\mathbf{x}^j = \{x_0, x_1, \dots, x_{D-1}\}$

$\{\mathbf{x}^0, L(\mathbf{x}^0)\}, \{\mathbf{x}^1, L(\mathbf{x}^1)\} \dots \{\mathbf{x}^N, L(\mathbf{x}^N)\}$

$L(\mathbf{x}^j) \in \{ \bullet, \bullet \}$

Learned parameters  $\{w_i\}, b$



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## Learning to Classify

$$y = mx + k$$



What can a single neuron do?  $0 = w_0x_0 + w_1x_1 + \dots + w_{D-1}x_{D-1} + b$

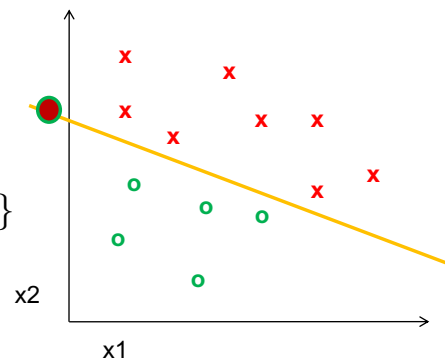
Supervised Learning problem:

input

$\{\mathbf{x}^0, L(\mathbf{x}^0)\}, \{\mathbf{x}^1, L(\mathbf{x}^1)\} \dots \{\mathbf{x}^N, L(\mathbf{x}^N)\}$

$L(\mathbf{x}^j) \in \{ \times, \circ \}$

Learned parameters  $\{w_i\}, b$



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## Learning to Classify

What can a single neuron do?

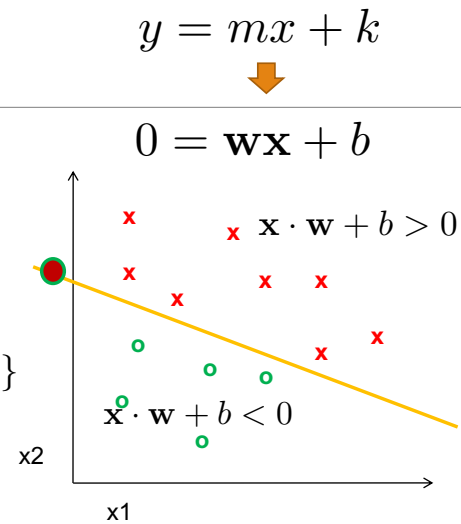
Supervised Learning problem:

input

$$\{\mathbf{x}^0, L(\mathbf{x}^0)\}, \{\mathbf{x}^1, L(\mathbf{x}^1)\} \dots \{\mathbf{x}^N, L(\mathbf{x}^N)\}$$

$$L(\mathbf{x}^j) \in \{\text{red 'x'}, \text{green 'o'}\}$$

Learned parameters  $\{w_i\}, b$



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## Learning to Classify

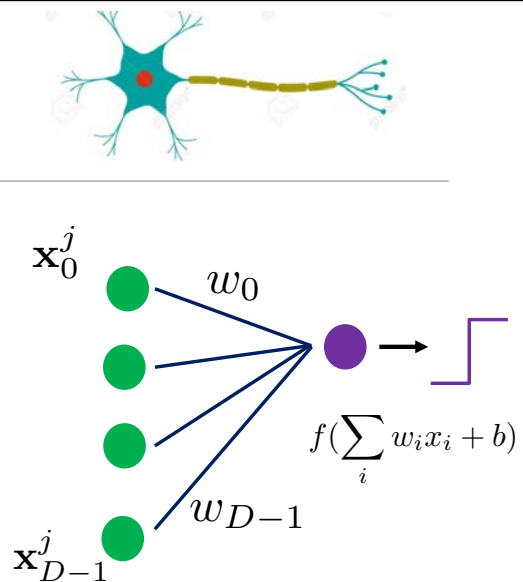
What can a single neuron do?

Supervised Learning problem:

input  $\mathbf{x}^j = \{x_0, x_1, \dots, x_{D-1}\}$

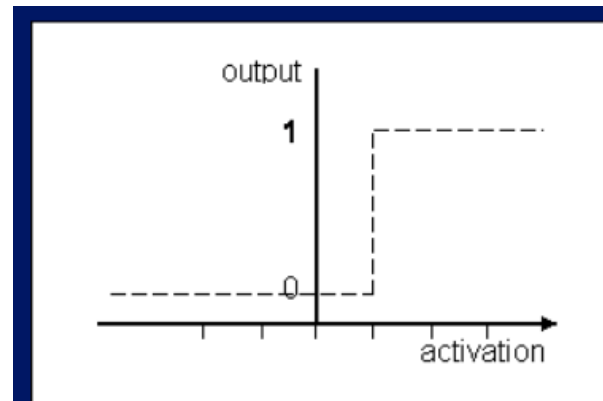
$$\{\mathbf{x}^0, L(\mathbf{x}^0)\}, \{\mathbf{x}^1, L(\mathbf{x}^1)\} \dots \{\mathbf{x}^N, L(\mathbf{x}^N)\}$$

Learned parameters  $\{w_i\}, b$



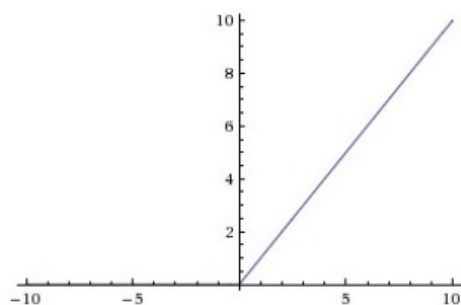
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## Simple activation function - threshold



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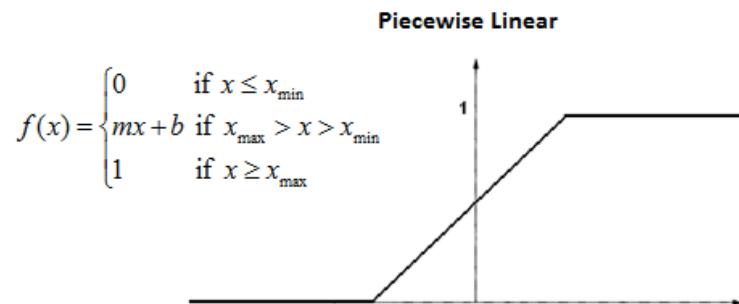
## Rectified linear unit (ReLU) activation function



$$f(x) = \max(0, x)$$

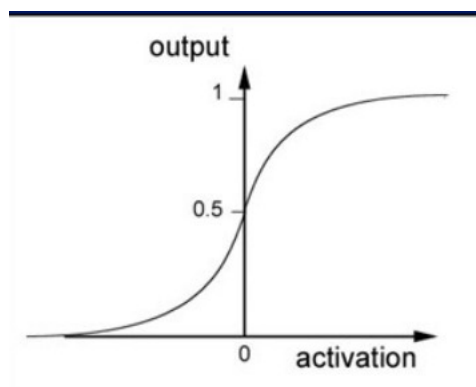
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## Piecewise linear activation function



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## Sigmoid activation function

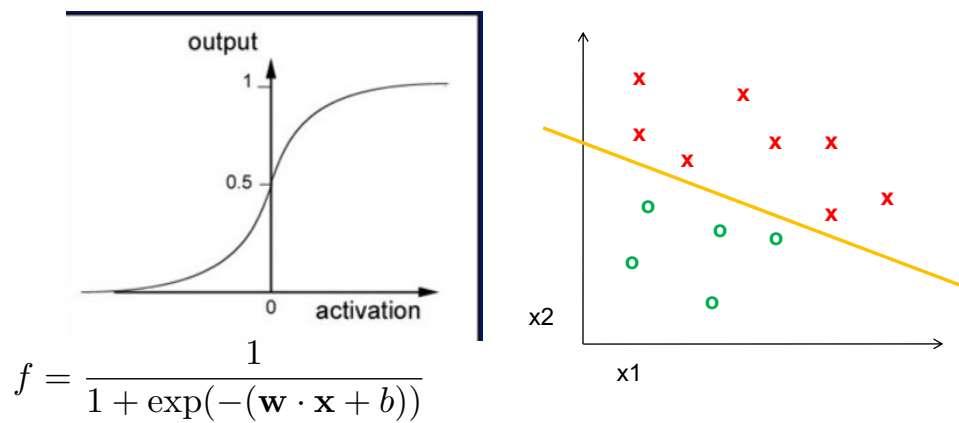


$$f = \frac{1}{1 + \exp(-(\mathbf{w} \cdot \mathbf{x} + b))}$$

↑  
*bias*

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## Sigmoid activation function

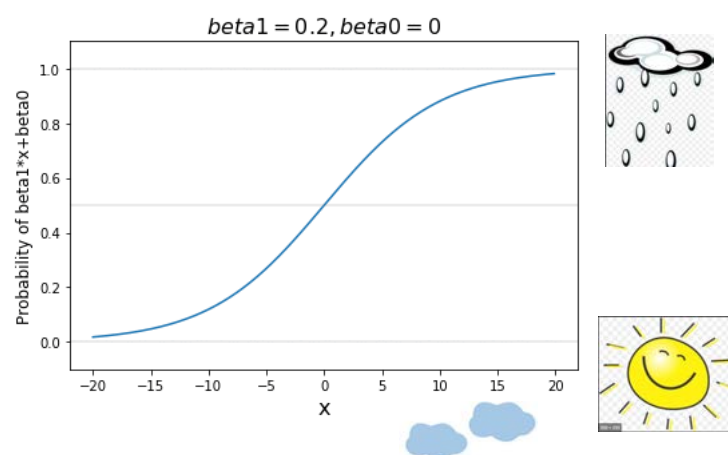


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## Logistic regression function

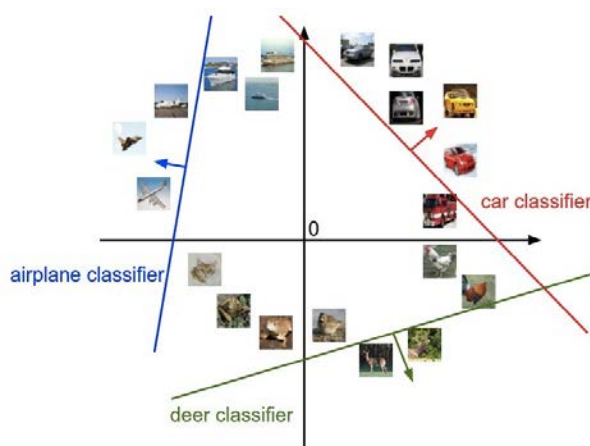
$$f = \frac{1}{1 + \exp(-(\mathbf{w} \cdot \mathbf{x} + b))}$$

$$= \sigma(\mathbf{w} \cdot \mathbf{x} + b)$$



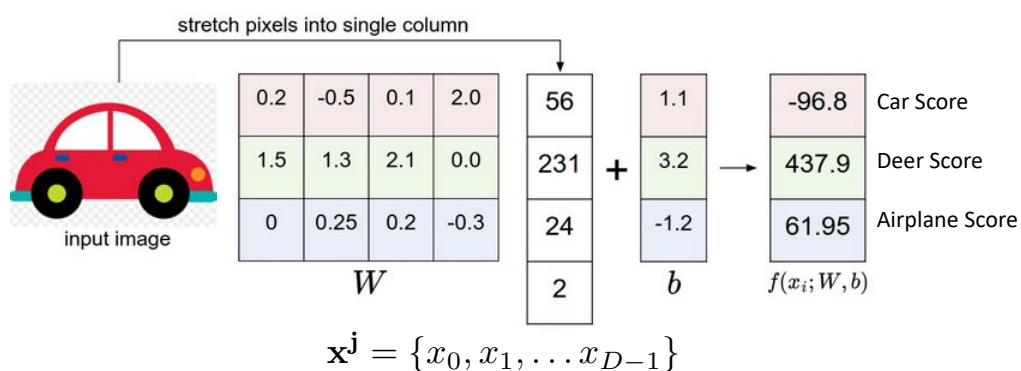
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## Categorical (multi-class) Classification



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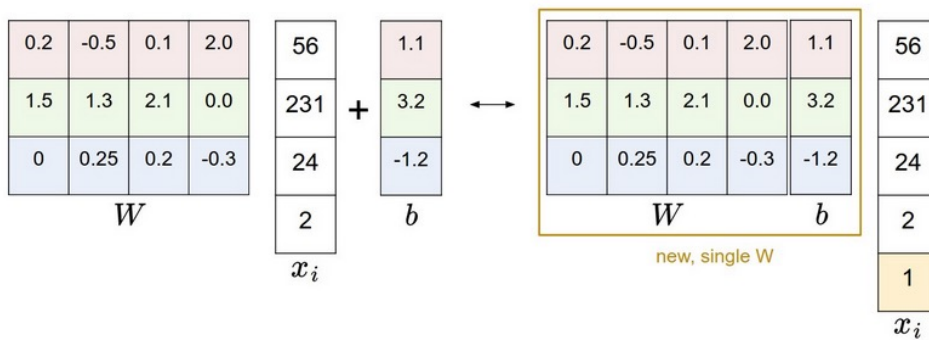
## Categorical (multi-class) Classification



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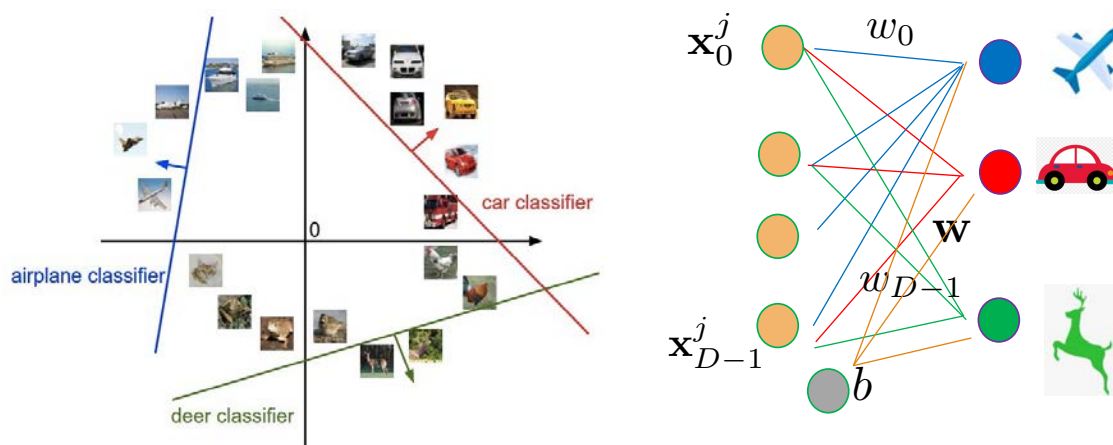
## Bias trick

$$f(x_i, W, b) = Wx_i + b \longrightarrow f(x_i, W) = Wx_i$$



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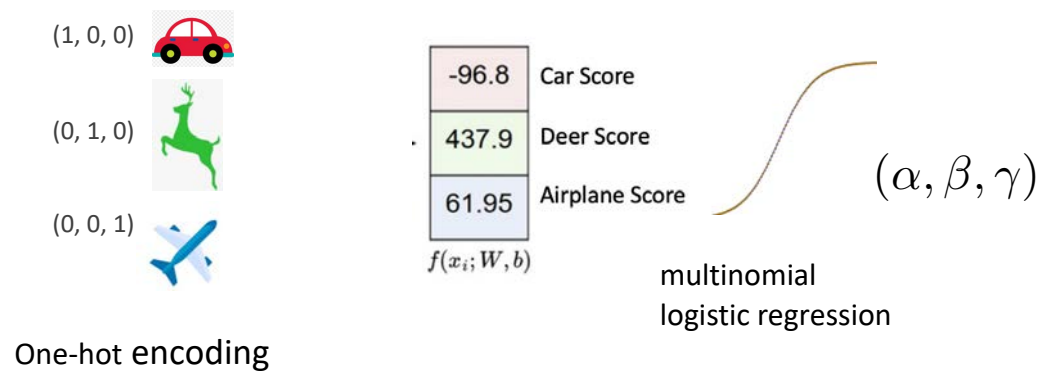
## Categorical (multi-class) Classification



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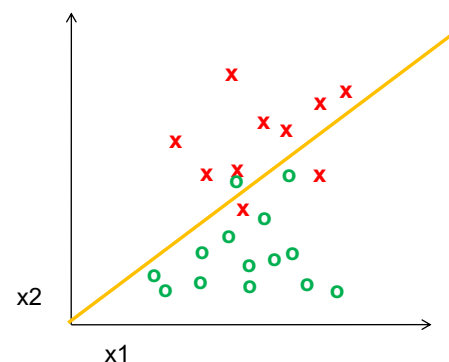
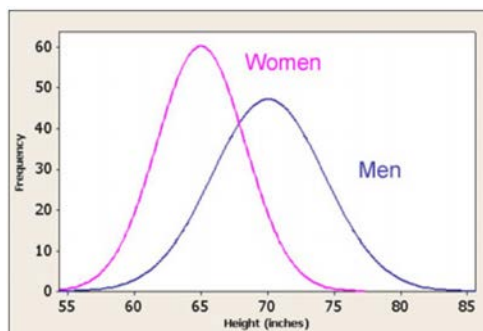
## Scores and Loss



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## Representation matters

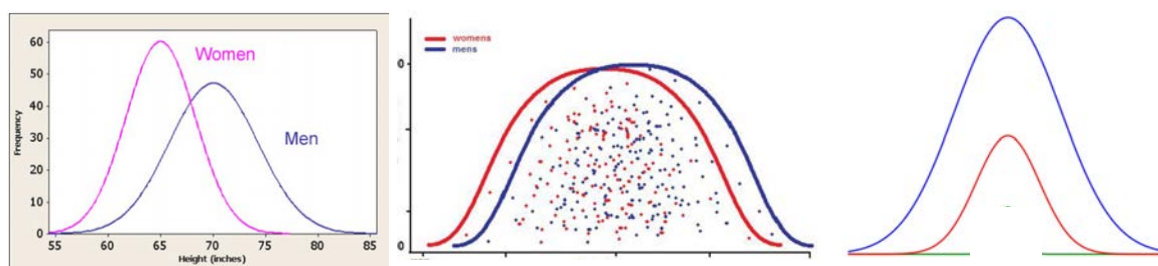
How to select features?



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## Representation matters

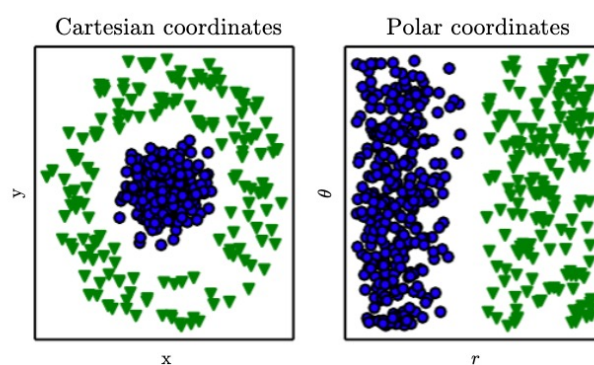
How to select features that discriminate between classes?



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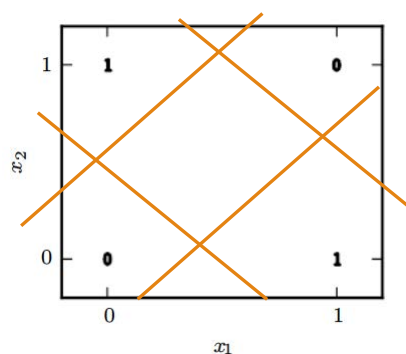
## Representation matters

How to select linearly separable features?



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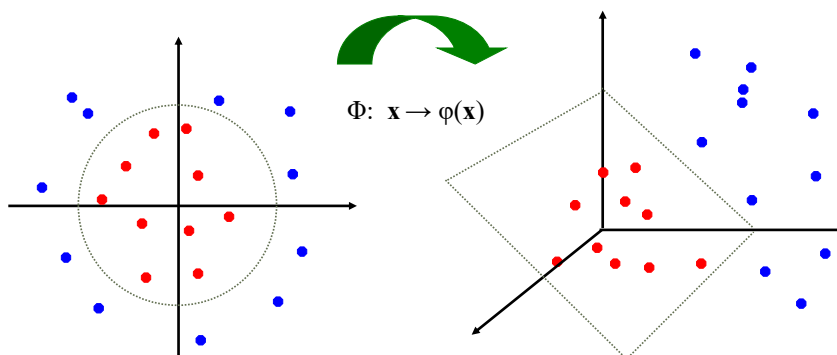
## XOR Function



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## Classical Machine Learning

Mapping into higher dimension

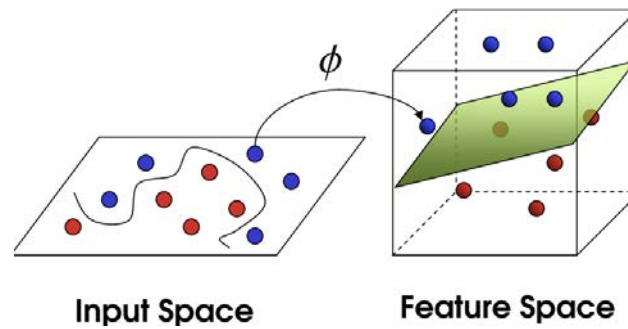


Slide credit: Andrew Moore

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# Classical Machine Learning

Mapping into higher dimension

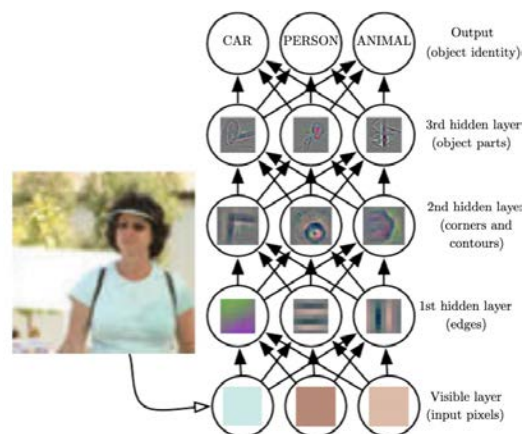


Slide credit: Andrew Moore

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## Deep learning model

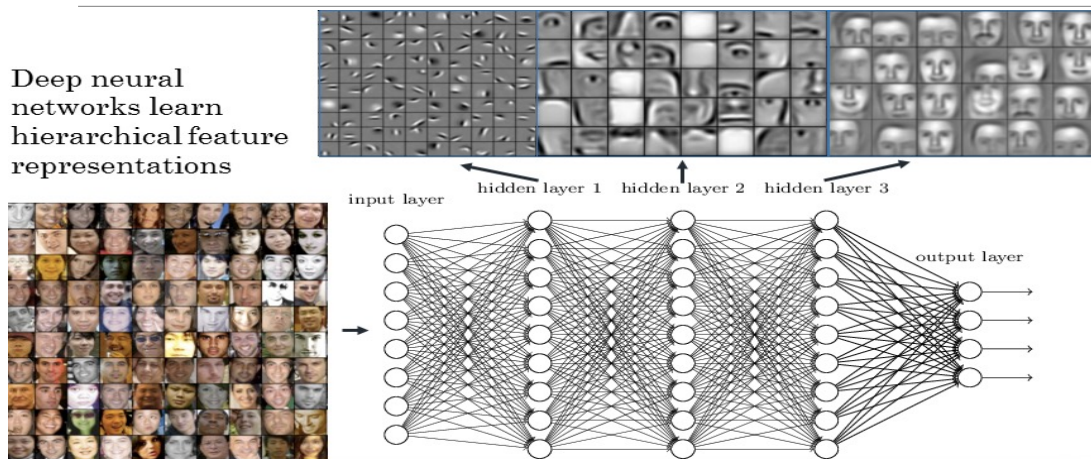
From pixels to features  
as we get deeper



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## Hidden layers

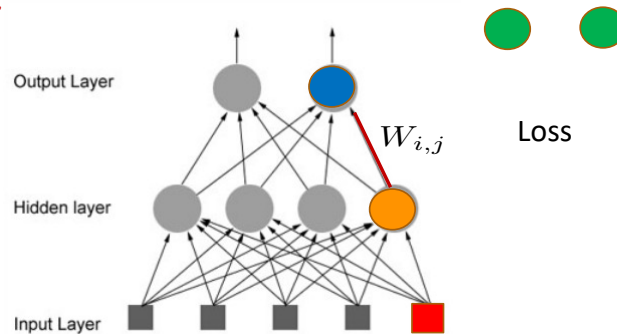
Deep neural networks learn hierarchical feature representations



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## Deep Neural Network

*Feed forward neural network:*

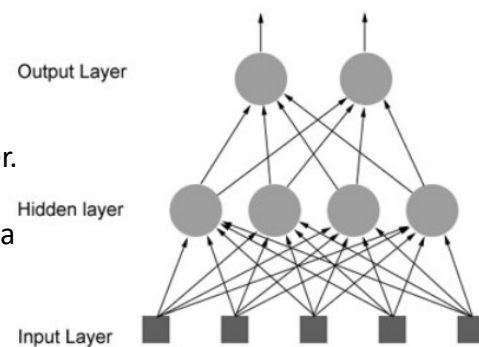


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## Artificial neural network architecture

### Feed forward neural network:

- Each input is sent to every neuron in the **hidden layer** and then each hidden layer's neuron's output is connected to every neuron in the next layer.
- There can be any number of hidden layers within a feedforward network and any number of neurons.



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## Artificial neural network architecture

### Feed forward neural network:

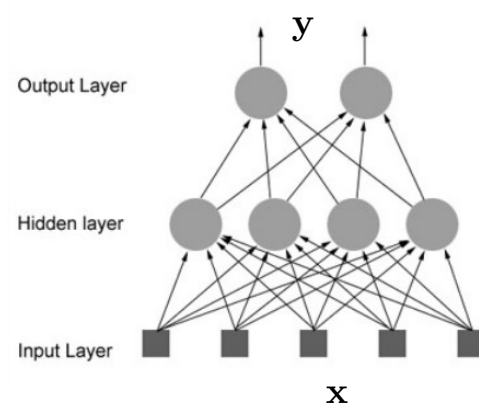
Goal: approximate some function  $f^*$

Classifiers:  $y = f^*(\mathbf{x})$

maps an input  $\mathbf{x}$  to a category  $y$

Enhancement/denoising/ semantic segmentation/transformation:

$$\mathbf{y} = f^*(\mathbf{x})$$

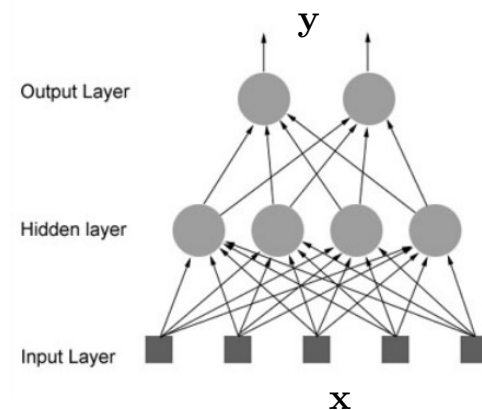


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## Artificial neural network architecture

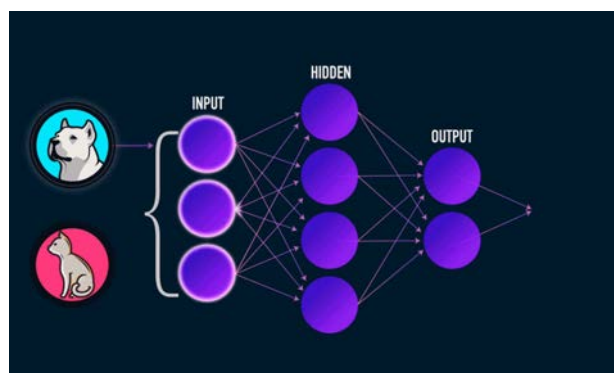
### Feed forward neural network:

A feedforward network defines a mapping  $\mathbf{y} = f^*(\mathbf{x}, \theta)$  and learns the value of the parameters  $\theta$  that result in the best function approximation.



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## Feed Forward

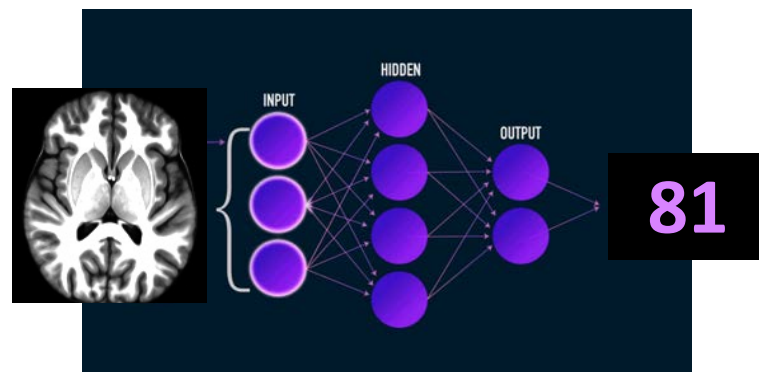


<https://towardsdatascience.com/everything-you-need-to-know-about-neural-networks-and-backpropagation-machine-learning-made-easy-e5285bc2be3a>

48

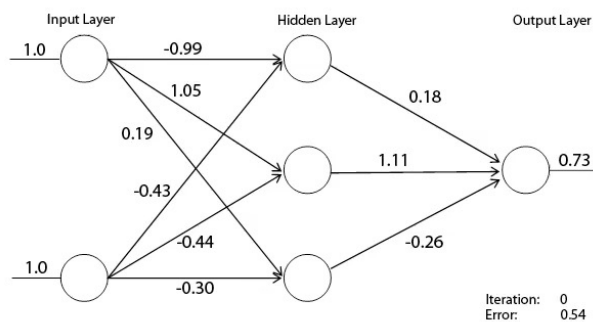
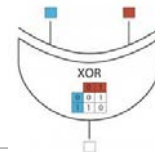
## Prediction by Artificial Neural Network

Regression



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## Training NN as a XOR function



Truth table:

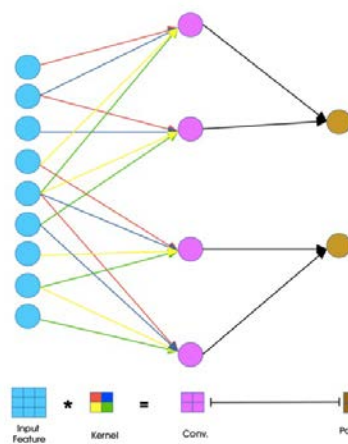
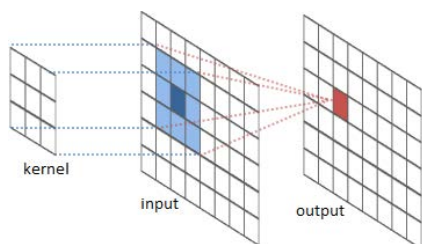
$X_1$	$X_2$	Result
0	0	0
0	1	1
1	0	1
1	1	0

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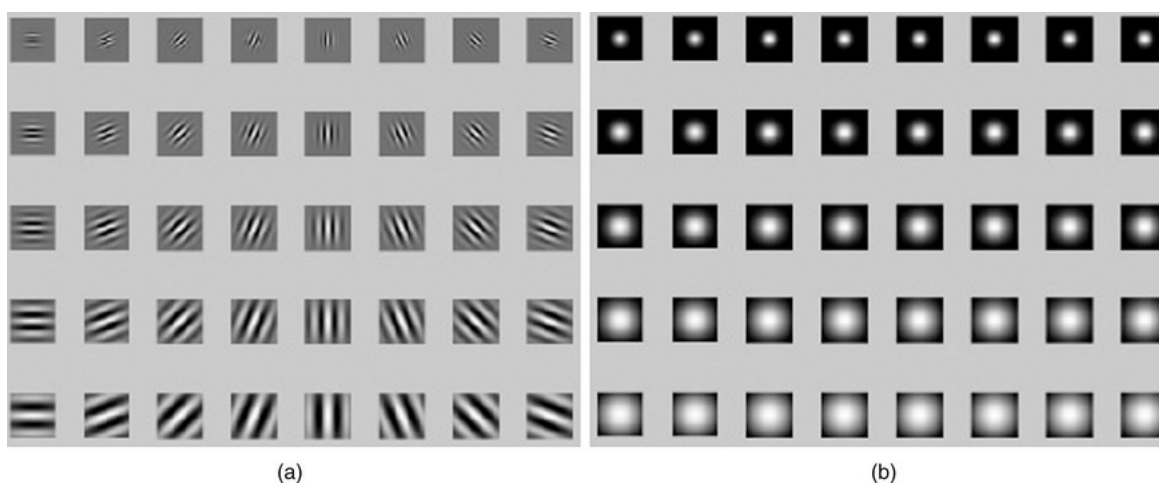
## Artificial neural network architecture

*Convolutional neural network (CNN):*



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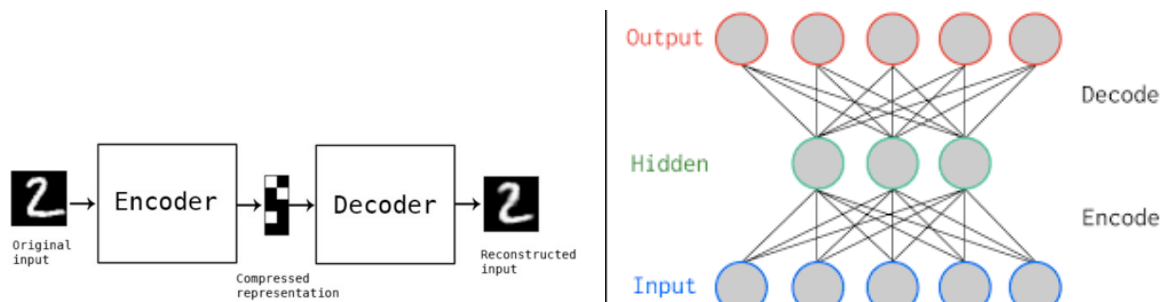
## Feature extraction



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## Artificial neural network architecture

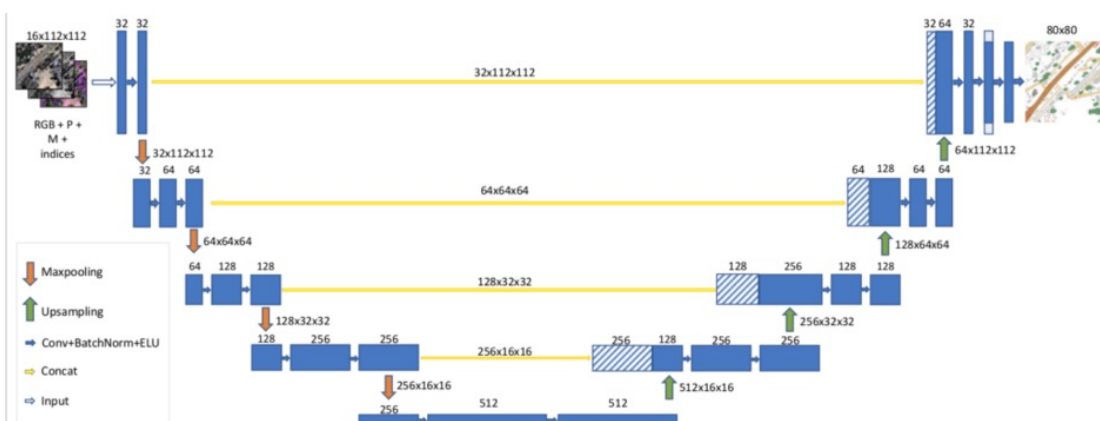
### Autoencoder:



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## Artificial neural network architecture

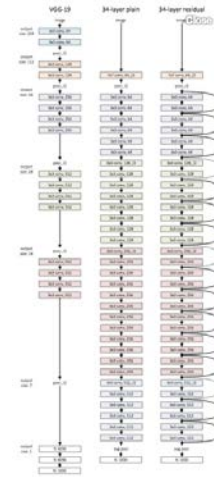
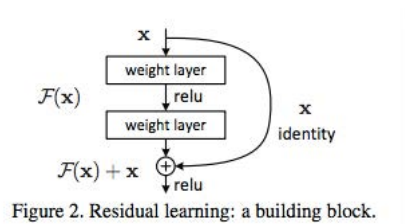
### U-Net:



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# Artificial neural network architecture

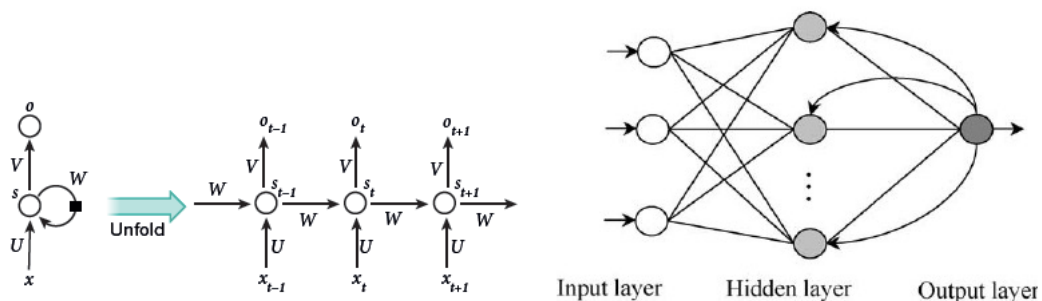
## Residual neural network (Resnet):



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# Artificial neural network architecture

## Recurrent neural network (RNN):



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## Artificial neural network architecture

### Long Short-term Memory (LSTM):

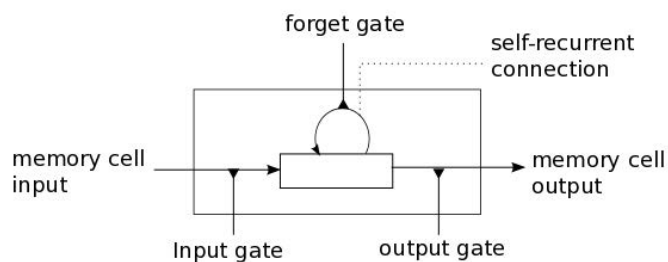
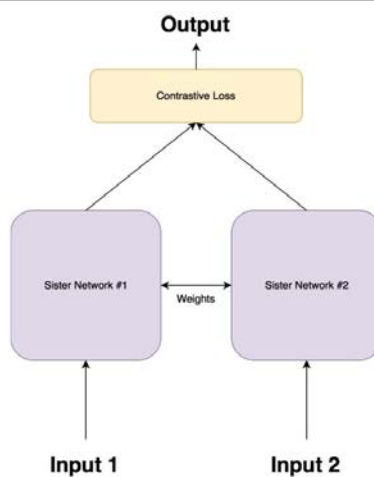


Figure 1 : Illustration of an LSTM memory cell.

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## Artificial neural networks architecture

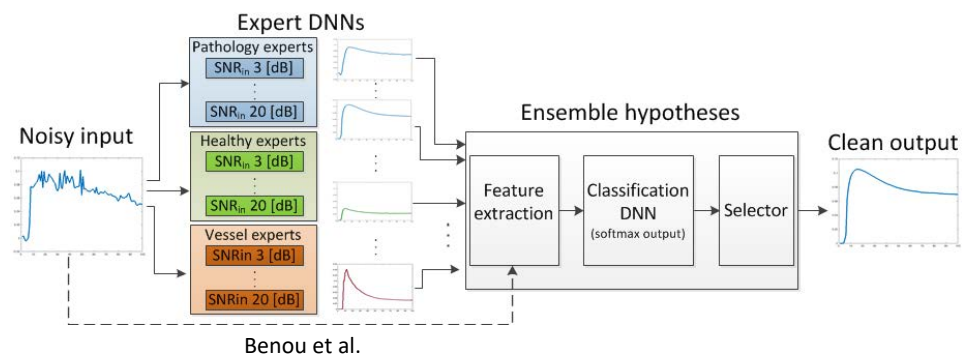
### Siamese Neural Networks:



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## Artificial neural networks architecture

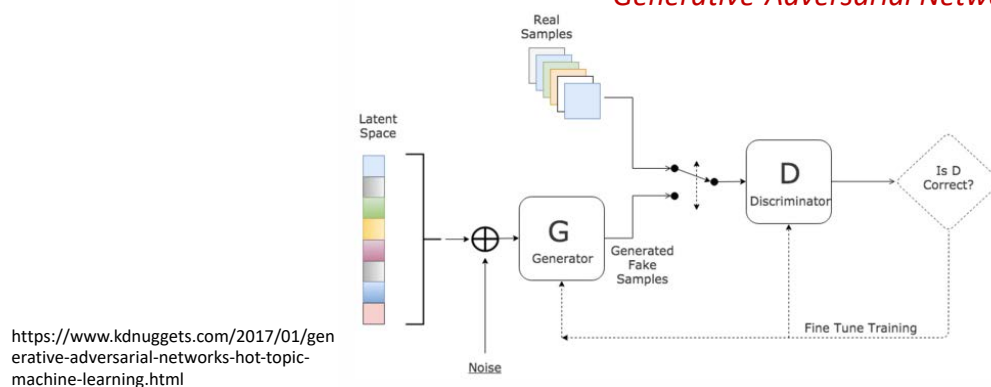
### Expert DNN ensemble:



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## Artificial neural networks architecture

### Generative-Adversarial Networks (GANs):



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## Artificial neural network

Simple (and classical) example

*Character recognition:*

Input: binary vector of length  $N \times N$

Requires  $N \times N$  input neurons.

Output: a binary vector e.g.

(0,0,0,1, ...0)

*and the answer is '4'*



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## Training and Test

*Supervised neural networks:*

The weights (and the biases) are adjusted by training using a *training set*.

A common way to train is by *back-propagation*.

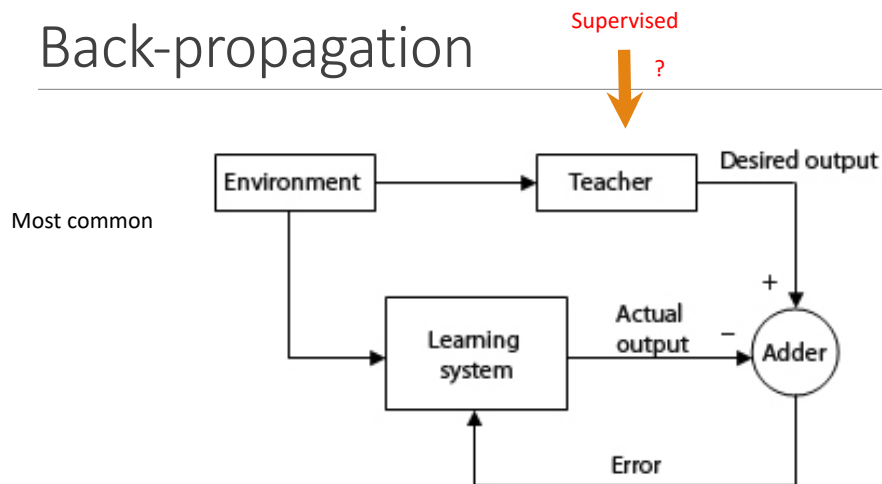
When weights are adjusted – run *test examples*.

We will talk on both *supervised* and *unsupervised* networks.



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# Back-propagation



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## “Easy” and “difficult” tasks

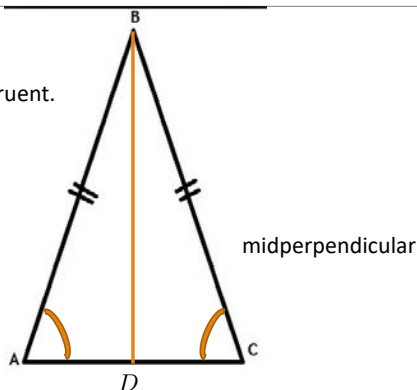


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## Some high-school geometry

### Theorem

If two sides of a triangle are congruent, then the angles opposite those sides are congruent.



An isosceles triangle

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## “Difficult/Easy” task Image classification

Assigning an input image one label from a fixed set of categories

**Motivation:** An important computer vision problem.

Has a large variety of practical applications.

Many other seemingly distinct Computer Vision tasks (such as object detection, segmentation) can be reduced to image classification.

**Example 1:** Digit classification  $\{0,1,2,3...8,9\}$

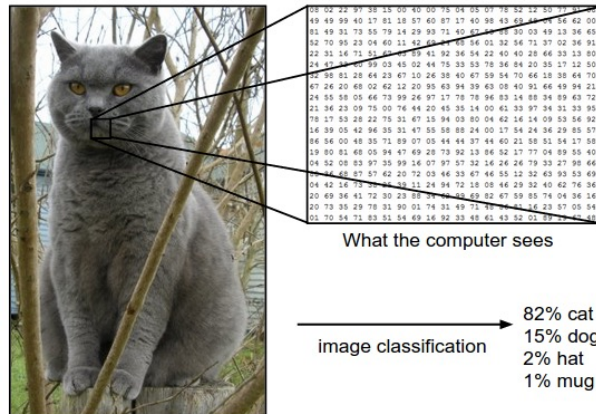
**Example 2:** Take a single image and assign probabilities to 4 labels,  $\{cat, dog, hat, mug\}$ .

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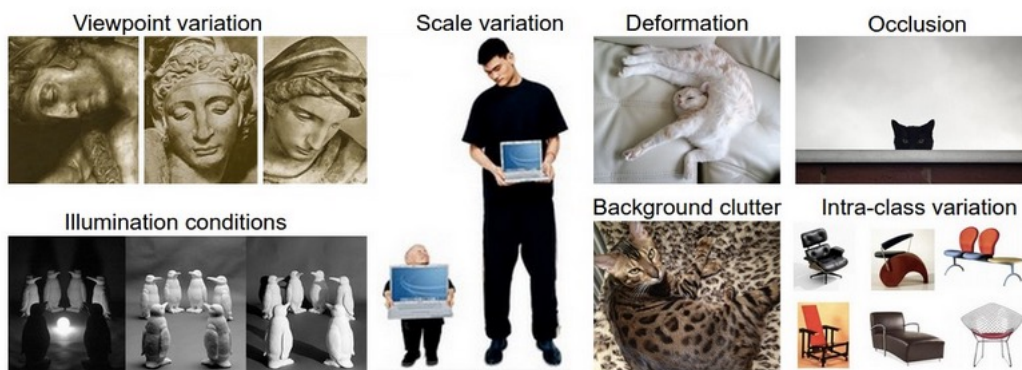
## Image classification – an example

The task in Image Classification is to predict a single label (or a distribution over labels as shown here to indicate our confidence) for a given image. Images are 3-dimensional arrays of integers from 0 to 255, of size Width x Height x 3. The 3 represents the three color channels Red, Green, Blue.



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## Image classification - challenge



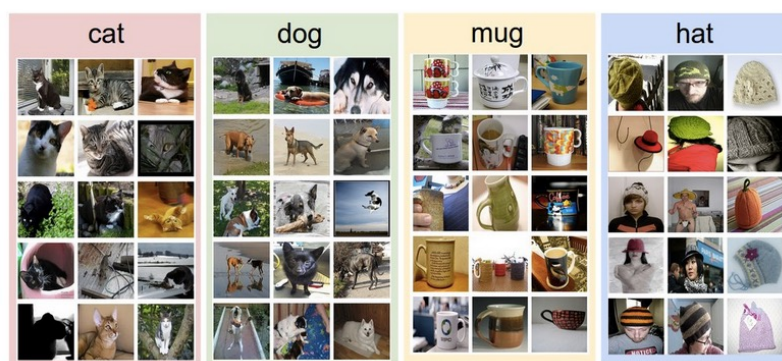
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## Data driven approach

Instead of trying to specify what every one of the categories of interest look like directly in code, provide the computer with many examples of each class and then develop learning algorithms that look at these examples and learn about the visual appearance of each class.

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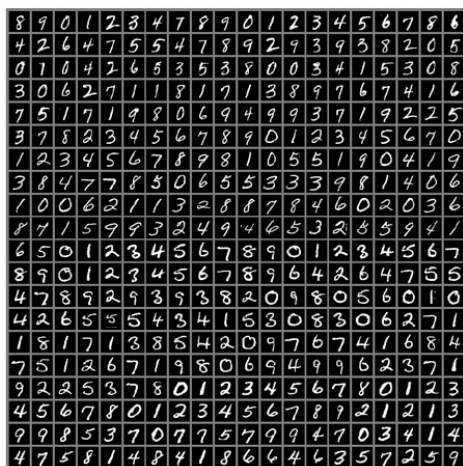
## Labeled database



An example training set for four visual categories. In practice we may have thousands of categories and hundreds of thousands of images for each category.

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## MNIST database



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## image classification dataset: CIFAR-10.



Left: Example images from the [CIFAR-10 dataset](#). Right: first column shows a few test images and next to each we show the top 10 nearest neighbors in the training set according to pixel-wise difference.

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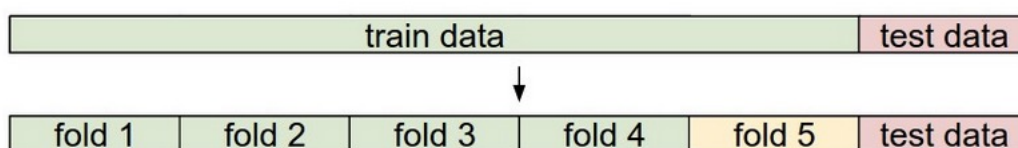
## Cross validation

Insufficient data ?

Split your training set into training set and a validation set.

Use validation set to tune all hyperparameters.

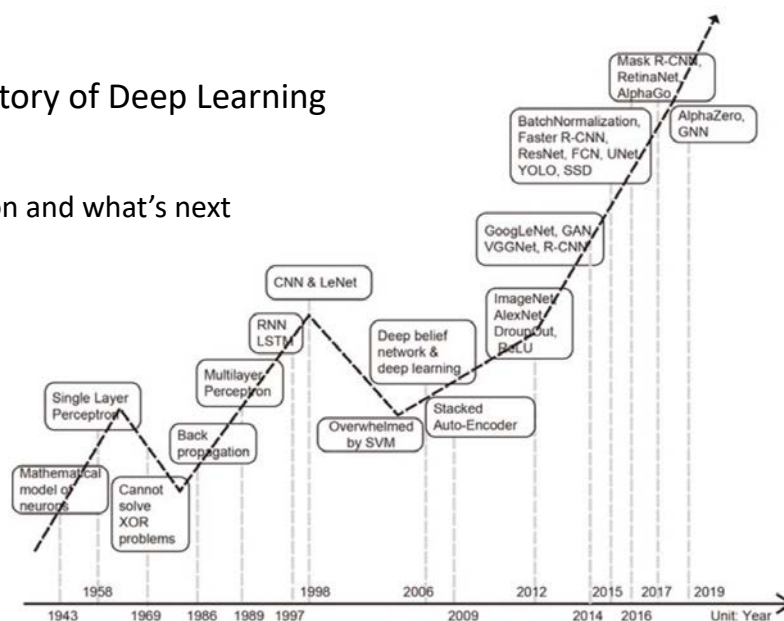
At the end run a single time on the test set and report performance.



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## The History of Deep Learning

Conclusion and what's next



Credit  
Shichao Jin

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## Next class

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### More on neural networks

Loss functions

Stochastic gradient descent

Back Propagation

Regularization

Optimization

Capacity

Receptive field

Overfitting

Underfitting